

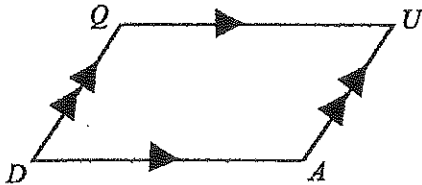
Tests for Parallelograms

A *Parallelogram* is defined as a quadrilateral with *both pairs* of opposite sides *parallel*.

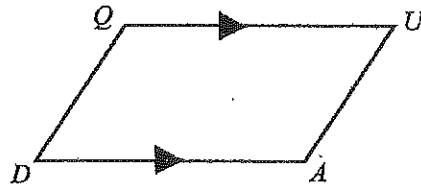
Does the given information make the *QUADRILATERAL* a *PARALLELOGRAM*?

If the information does not *guarantee* a parallelogram, sketch a counterexample that demonstrates another possible shape having the same characteristics.

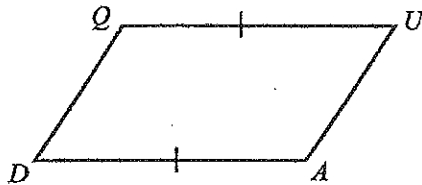
- 1) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



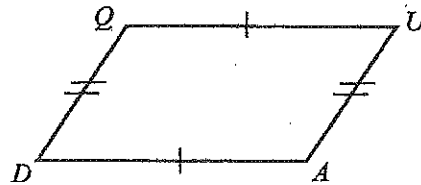
- 2) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



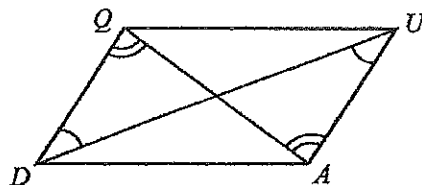
- 3) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



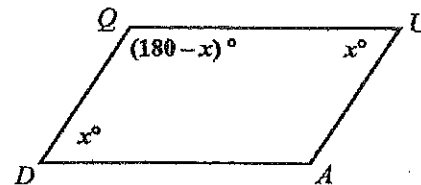
- 4) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



- 5) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



- 6) Will this always form a parallelogram?  
 Yes     No (provide a counterexample)



Determine whether the figure with the given vertices is a parallelogram. Use the method indicated.

\_\_\_\_\_ 7) Quadrilateral BCDE with B(0, 0), C(4, 1), D(6, 5), E(2, 4); Slope Formula

$$m_{\overline{BC}} = \underline{\hspace{2cm}}$$

$$m_{\overline{BE}} = \underline{\hspace{2cm}}$$

$$m_{\overline{DE}} = \underline{\hspace{2cm}}$$

$$m_{\overline{CD}} = \underline{\hspace{2cm}}$$

\_\_\_\_\_ 8) Quadrilateral EFGH with E(-4, -3), F(4, -1), G(2, 3), H(-6, 2); Midpoint Formula

$$\text{midpoint}_{\overline{EG}} = \underline{\hspace{2cm}}$$

$$\text{midpoint}_{\overline{FH}} = \underline{\hspace{2cm}}$$

\_\_\_\_\_ 9) Quadrilateral BCEG with B(-6, -3), C(2, -3), E(4, 4), G(-4, 4); Distance Formula

$$BC = \underline{\hspace{2cm}}$$

$$EG = \underline{\hspace{2cm}}$$

$$BG = \underline{\hspace{2cm}}$$

$$CE = \underline{\hspace{2cm}}$$